

## ABDUCTIVE INFERENCES IN SYSTEMIC TYPOLOGY<sup>1</sup>

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### KEYWORDS

*Abductive Inferences, Systemic Typology, Statistical Laws, Cross-linguistic Correlations*

In this paper we do not present any new empirical results but illustrate, instead, applications of a strategy that allows generating new hypotheses. The focus will be on what is called “law-abduction” in a recent taxonomy [1]. For decades, theory of science was concerned with the logical foundation of explanations and the like; the way empirical assumptions come into world was outside of its focus. Even in books dedicated to “the logic of scientific discovery” [2] and “the growth of scientific knowledge” [3], the term *abduction* does not occur, and the “founding father” Peirce [4] appears, if at all, in footnotes or as one of the proponents of an untenable *subjective theory* [2:361]. Both induction and abduction are, in contrast to deduction, ampliative and uncertain; thus, the conclusion may be subject to further testing. But abduction is a principle in its own right and an appropriate strategy to reveal new causes or explanations [1]. According to Reichenbach [5:400f], a “system of concatenated inductions /.../ is better than any single induction” and “the best posit we know concerning the future.” Such a system is, to our opinion, a presupposition for a successful use of abductions to generate new and lawlike hypotheses

Here we describe the application of such a strategy in systemic typology. The program of what we call systemic typology [6] was already formulated by Georg von der Gabelentz [7], in very modern ways and long before the development of systems theory and of those statistical methods allowing a realization of that program: He views language as a “system” the parts of which “organically” interact; any change in one of these parts – morphology,

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syntax, sound structure – would change the system as a whole; in the future it should become possible to predict, from the knowledge of a certain property in a certain language, other properties of that language.

The strategy of abductive inferences allows to proceed from already given *cross-linguistic correlations* (one data-pair from each language) to plausible hypotheses regarding further regularities: Two or more of the given regularities (“statistical laws”) are linked together as the premises of a syllogism, and the inference drawn is a lawlike assumption that can in turn be tested in the form of a cross-linguistic correlation. (In cases where the correlations taken as “premises” explain a sufficient percentage of the total variation, the respective inference may be not only a plausible but even a cogent conclusion.) For example [8:18]:

- A: the more syllables per sentence, *the fewer phonemes per syllable*
- B: \_\_\_\_\_ *the fewer phonemes per syllables, the more syllables per word*
- C: the more syllables per sentence, \_\_\_\_\_ the more syllables per word

One of several possible paraphrases of that syllogism:

- A: the fewer syllables per sentence, *the more phonemes per syllable*
- B: \_\_\_\_\_ *the more phonemes per syllable, the fewer syllables per word*
- C: the fewer syllables per sentence, \_\_\_\_\_ the fewer syllables per word

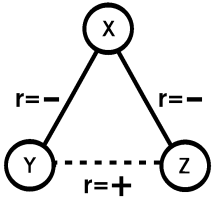


Figure 1: The figure of arguments in diagrammatic representation.  
 x = n of phonemes per syllable; y = n of syllables per sentence; z = n of syllables per word

Figure 1 illustrates the general line of arguments: A correlation of x with both y and z indicates a possible correlation between y and z. More specifically, it illustrates the role of the positive and negative signs in our correlations: In cases of equal signs in the already given correlations we rather assume a positive sign in the “missing link”, otherwise a negative sign. The above inference turned out to be significant. It follows a pattern called “law-abductions”; these abductions “correspond to what Aristotle has called the mind’s power of *hitting upon the middle term* of a syllogism” [1]. In our above example the number of phonemes per

syllable (x) is that middle term. But in contrast to the examples presented in [1], all our propositions – premises as well as conclusions - are statistical correlations, i.e., statistical instead of universal laws. And while abduction is, since the times of Peirce, considered to be a formation of an “explanatory” hypothesis [9:96], this description does not necessarily fit our inferences. Both peculiar characteristics also apply to the syllogism below.

Syllable complexity in terms of number of phonemes per syllable plays a role in our so far most robust regularities in a sample of meanwhile 51 languages: Languages showing a relatively high syllable complexity use a relatively low number of syllables per sentence [10] and per word. It also plays a role in the following syllogism [6] that makes a step from our metric variables to non-metric categories of classical typology. The inference proceeds from three premises (E, D, B): E and D share the middle term “words per clause”, D and B the middle term “syllables per word”:

E: if more isolating, then more *words per clause* (is in line with the isolating tendency towards “one morpheme per word”)

D: if more *words per clause*, then fewer *syllables per word* (because of a restricted duration of clauses)

B: if fewer *syllables per word*, then more complex syllables (is a paraphrase of B in our first syllogism)

F: if more isolating, then more complex syllables

The formation of new hypotheses and the respective detection of additional, statistically relevant variables increase a theory’s explanatory power [11] as well as its predictive success that is the true touchstone in the evolution of knowledge systems [12]. A given body of nomological knowledge about a certain system obviously embodies the potential for such enlargements – through abductive inferences, without recourse to other domains, and sometimes even without any deductions from more general “covering laws”.

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